$\qquad$ Date $\qquad$

## Chapter 1 \& 2 - Final Review

Identify each statement as true (T) or false (F)

1) $\qquad$ The ray from R through points P or Q is written in symbolic form as $\overrightarrow{R Q}$ or $\overrightarrow{R P}$.
2) $\qquad$ The line segment from P to Q is written in symbolic form as $\overline{R P}$.
$\qquad$ The building blocks of geometry are points, lines, and rays.
3) $\qquad$ An obtuse angle is an angle whose measure is more than $180^{\circ}$.
4) $\qquad$ An altitude in an acute triangle is a perpendicular segment connecting a vertex with the opposite side.
5) $\qquad$ A diagonal is a line segment in a polygon connecting any two vertices.
6) $\qquad$ If $\overleftrightarrow{A B}$ intersects $\overleftrightarrow{C D}$ at point P , then $\angle A P C$ and $\angle A P D$ have to be a pair of vertical angles.
7) $\qquad$ If the sum of the measures of two angles is $90^{\circ}$, then the two angles are supplementary
8) $\qquad$ If two lines do not intersect, then they are parallel.
9) $\qquad$ If two lines lie in the same plane are perpendicular to the same line, then they are parallel.
10) $\qquad$ A polygon with six sides is called a heptagon.

Match each term with its drawing below.
12) Isosceles right triangle
13) Obtuse scalene triangle
14) Octagon
15) Hexagon
16) Right scalene triangle

18) Name all angles with $R$ as their vertex.

a) $\angle 5, \angle 6, \angle 7$
b) $\angle \mathrm{DRO}, \angle \mathrm{MRD}, \angle \mathrm{ORM}$
c) $\angle O R D, \angle M R D, \angle \mathrm{ROM}$
d) $\angle \mathrm{M}, \angle \mathrm{O}, \angle \mathrm{D}$

For \#19-21, determine whether each statement is always (A), sometimes $(S)$, or never ( $N$ ) true.
19) A plane contains only three points. $\qquad$
20) Three noncollinear points are contained in only one plane. $\qquad$
21) If three points are coplanar, they are collinear. $\qquad$

Use the diagram at the right for \#22-24.
22) What is the intersection of the two planes?
23) What plane contains points $W, X$, and $Y$ ?

24) Are points $T, Z, W$, and $U$ coplanar or noncoplanar?

For \#25 \& 26, sketch, mark and label each figure
25) Isosceles obtuse $\triangle \mathrm{MRD}$ with $\mathrm{MR}=\mathrm{MD}$ and median $\overline{M E}$
26) A hexagon SMILEY with vertices $Y, M$, and L joined to form isosceles $\triangle \mathrm{YML}$
27) If $m \angle 1=9 x$ and $m \angle 2=3 x$. Find the value of $x$ if $\angle 1$ and $\angle 2$ are supplementary.
28) $\angle 1$ is complementary to $\angle 3, \angle 2$ is complementary to $\angle 3$. If $m \angle 2=x+24$ and $m \angle 3=8 x-6$, find $m \angle 1$.

Find the missing two terms in the sequence.
29) 3, 6, 9, 15, 24, 39, $\qquad$ ,
30) $1,2,5,14,41,122$, $\qquad$ , $\qquad$
31) $0,2,6,12,20,30$, $\qquad$ , $\qquad$ 32) $1,2 / 3,4 / 9,8 / 27$, $\qquad$ , $\qquad$

Draw the next shape in each pattern.
33)

34)

36) Write the indicated form of the following statements.

Afterwards, state if it's true or false.
"A square is a regular polygon."
If-then:

Converse:

Inverse:

Contrapositive:
35) Find a counterexample to disprove the conjecture: "If the quotient of two numbers is positive, then the two numbers must be positive."

In \#37-39, determine the logical conclusion and state which law you used: Law of Detachment (LOD), Law of Contrapositive (LOC), or Law of Syllogism (LOS). If no conclusion can be drawn, write "no conclusion."
37) If you live in San Francisco, then you've seen the Golden Gate Bridge. Unfortunately, Josh has not seen the Golden Gate Bridge.
38) If a quadrilateral is a square, then it has four right angles. If a quadrilateral has four right angles, then it is a rectangle.
39) If three points lie on the same line, they are collinear. Points $A, B$, and $C$ lie on line $k$.
40) Write the definition of an equiangular polygon as a single biconditional statement.
41) Complete the following truth table.

| $p$ | $q$ |  | $\sim p \wedge q$ |
| :--- | :--- | :--- | :--- |
|  |  |  |  |
|  |  |  |  |
|  |  |  |  |
|  |  |  |  |

42) Suppose you already stated that $\angle 6 \cong \angle 7$ and $\angle 7 \cong \angle 8$. What property of congruence justifies the conclusion that $\angle 6 \cong \angle 8$ ?

43) Find the value of $x$ and $y$ for each diagram. (Not necessarily drawn to scale). Show all algebraic work.


Complete the following proofs:
44) Given: $B R=U P$


Prove: $B U=R P$
Statement

1. $B R=U P$
2. $\qquad$ $=B U+U R$; $\qquad$ $=U R+R P$
3. $B U+U R=U R+R P$
4. $U R=U R$
5. $\qquad$ Reasons
$\qquad$
$\longrightarrow$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
45) Given: $m \angle B A T=m \angle M A N$

Prove: $m \angle B A M=m \angle T A N$


| Statement | Reasons |
| :--- | :--- |
| 1. $m \angle B A T=m \angle M A N$ |  |
| 2. $m \angle T A M=m \angle T A M$ |  |
| 3. $m \angle B A T+m \angle T A M=m \angle T A M+m \angle M A N$ |  |
| 4. $m \angle B A M=m \angle B A T+m \angle T A M$ |  |
| $m \angle T A N=m \angle T A M+m \angle M A N$ |  |
| 5. $\therefore m \angle B A M=m \angle T A N$ |  |

